# Bernoullis Tafelrunde 

Graduate Student Seminar

Thursday, 17 May 2018, 12:15-13:00
Seminarraum 00.003, Spiegelgasse 1

Rémi Bignalet-Cazalet
Université de Bourgogne (Dijon)

# An introduction to Cayley-Bacharach theorems 


#### Abstract

In the projective plane, a curve $C$ is the zero-set of a homogeneous polynomial $P$ in three variables and when $P$ has degree 3 , the curve $C$ is called a cubic. Moreover, we say that two curves $C_{1}$ and $C_{2}$ meet in a point $p$ if their associated polynomials $P_{1}$ and $P_{2}$ both vanish at the coordinates of $p$.

A theorem of Chasles states that, given two cubics in the projective complex plane meeting only in nine distinct points $\left\{p_{1}, \ldots, p_{9}\right\}$, any other cubic passing a priori through eight of the nine points, for example $\left\{p_{1}, \ldots, p_{8}\right\}$, passes necessarily through the ninth point $p_{9}$.

This is a version of what is called now Cayley-Bacharach theorems. In my talk, after getting into the previous versions of Chasles' theorem and re-explaining all these notions, I will explain a current version of Cayley-Bacharach theorems which extends the result of Chasles.


